To obtain any credit, you must show your work! Place a box around each answer.

1. [12 pts] Consider the straight line with equation $\mathrm{y}=15-3(4-5 \mathrm{x})$.
(a) What is the slope of this line?

Solution: Distributing the 3 yields $\mathrm{y}=15-(12-15 \mathrm{x})$
Distributing the - in front of the parentheses: $y=15 x+3$
Hence the slope is $\mathbf{1 5}$.
(b) What is the y-intercept of this line?

Using (a) the y-intercept is $\mathbf{3}$.
(c) Write the line in slope-intercept form.

Using (a) $y=15 x+3$
(d) What is the $x$-intercept of this line?

## Solution:

Setting $y=0$, we have $0=15 \mathrm{x}+3$; So $15 \mathrm{x}=-3 ; x=-\frac{1}{\mathbf{5}}$
(e) Sketch a graph of this line.

2. [6 pts] The cost, in dollars, of hiring a repair person for $h$ hours is given by $\mathrm{C}=50+25 \mathrm{~h}$.
(a) What does the repair person charge to walk in the door?

## Solution:

Setting $\mathrm{h}=0$, we find that the cost of walking in the door is $\$ \mathbf{5 0}$.
(b) What is the hourly rate of the repair person?

## Solution:

The hourly rate is the slope of the given line, namely, $\$ \mathbf{2 5} /$ hour.
3. [12 pts] A passenger tram ride to go up Pike's Peak begins at an elevation of 1113 meters. One minute after starting, the passenger is at 1451 meters.
(a) Find a linear function for the passenger's elevation, $h$, in meters, $t$ minutes after starting the ride.

Solution: Let $\mathrm{E}(\mathrm{t})$ denote the elevation of the tram at time $t$, where $t$ denotes the number of minutes since the tram began its ascent.

Since the tram increases elevation by $1451-113=1338$ meters $/ \mathrm{min}$, the slope of our line must be 1138 .
Since at time $\mathrm{t}=0$, the tram's elevation is 1113 , it follows that $\mathrm{E}(\mathrm{t})=1338 \mathrm{t}+1113$

(b) Give the units of $t$ and $h$.
Units of $t$ are: minutes
Units of $h$ are: _meters
(c) What is the practical interpretation of the vertical intercept?

Solution: The vertical intercept represents the position of the tram at time $\mathrm{t}=0$.
(d) What is the practical interpretation of the slope?

Solution: The slope represents the speed of the tram in meters/mile.

THE FAR SIDE
By GARY LARSON


