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### **The summability hull and the (separable) FK-hull of sequence spaces**

On the one hand, Hahn's theorem tells that each convergence domain containing  $\chi$ , the set of all sequences of 0's and 1's, includes  $\ell^\infty$ , the set of all bounded sequences. On the other hand, it is easy to verify that for each unbounded sequence  $x$  there exists a matrix such that its convergence domain includes  $\ell^\infty$  but does not contain  $x$ . Thus  $\ell^\infty$  is the intersection of all convergence domains containing  $\chi$ . In this sense  $\ell^\infty$  is the 'summability hull' of  $\chi$ . Moreover, replacing in this definition 'convergence domains' by 'FK-spaces' and by 'separable FK-spaces' we get respectively the notions 'FK-hull' and 'separable FK-hull' of sequence spaces. In this talk some results and open problems around these types of hulls of arbitrarily given sequence spaces will be presented (cf. [1]).

### **References**

- [1] J. Boos, T. Leiger, and M. Zeltser. The intersection of matrix domains including a given sequence space. *Houston J. Math.* **32**(1), 205–225 (electronic) (2006).